

**Entangled Double-Helix Superluminal Photon  
Model Defined by Fine Structure Constant  
Has Inertial Mass  $M=E/c^2$   
and  
Quantum-Vortex Electron and Positron Formed  
From Superluminal Double-Helix Photon in  
Electron-Positron Pair Production**

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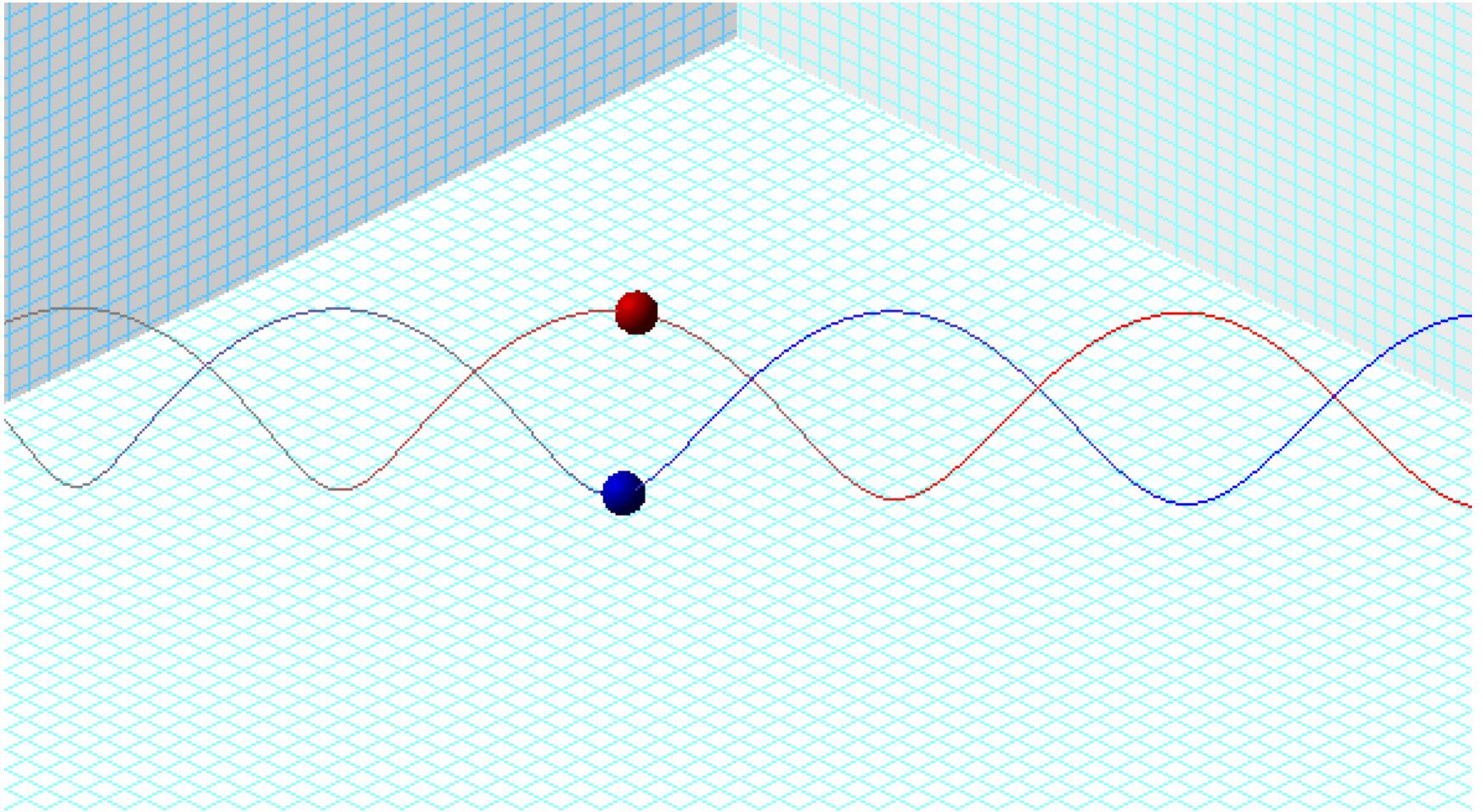
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# The Double-Helix Photon Model

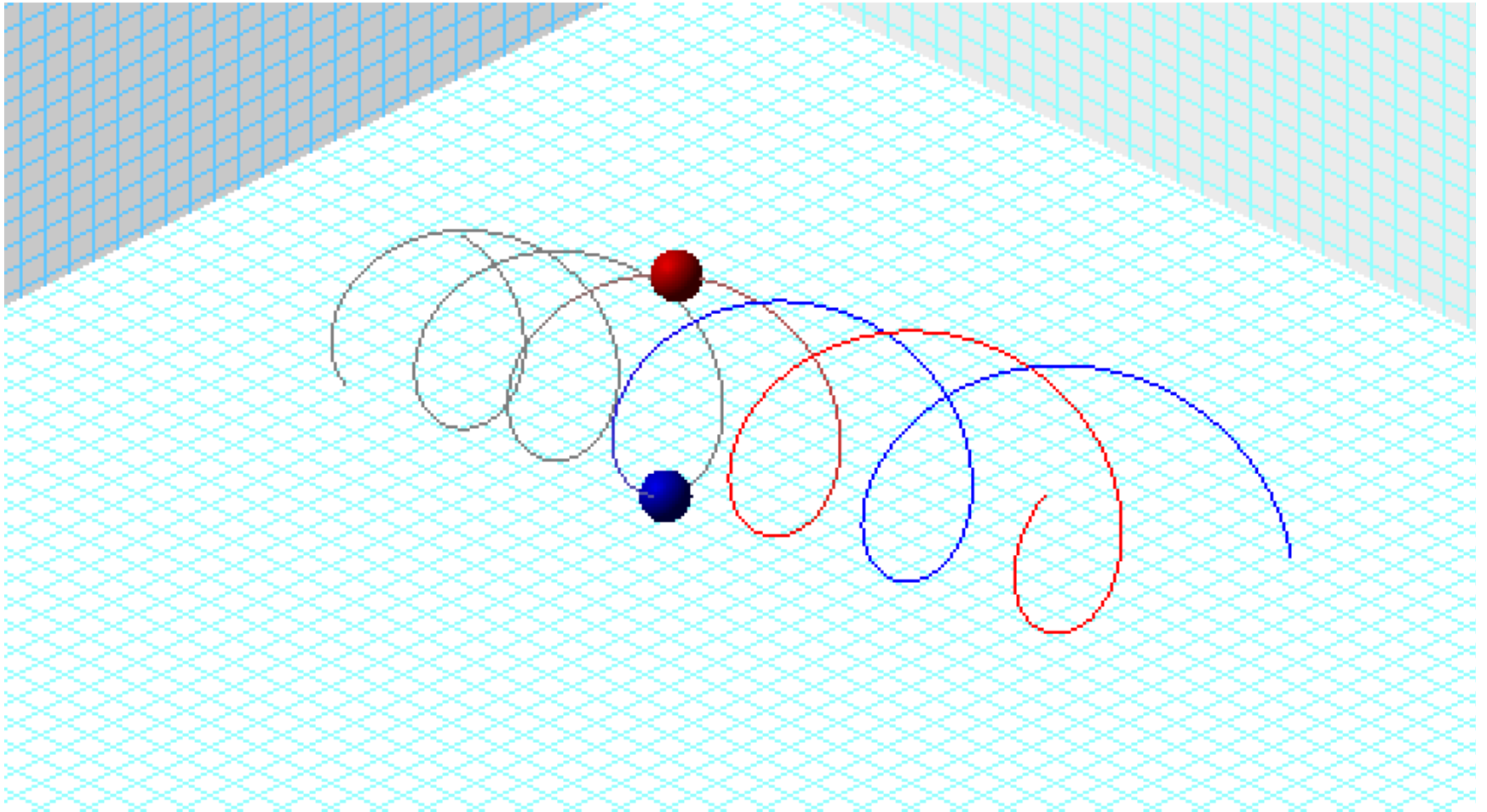
The double-helix photon model is composed of two oppositely charged superluminal energy quantum particles moving in a double-helical trajectory.

The energy quanta are held in the double-helical trajectory by the Coulomb attractive force between the two superluminal energy quanta of electric charge  $Q$  and  $-Q$  separated by the helical diameter  $D$ .

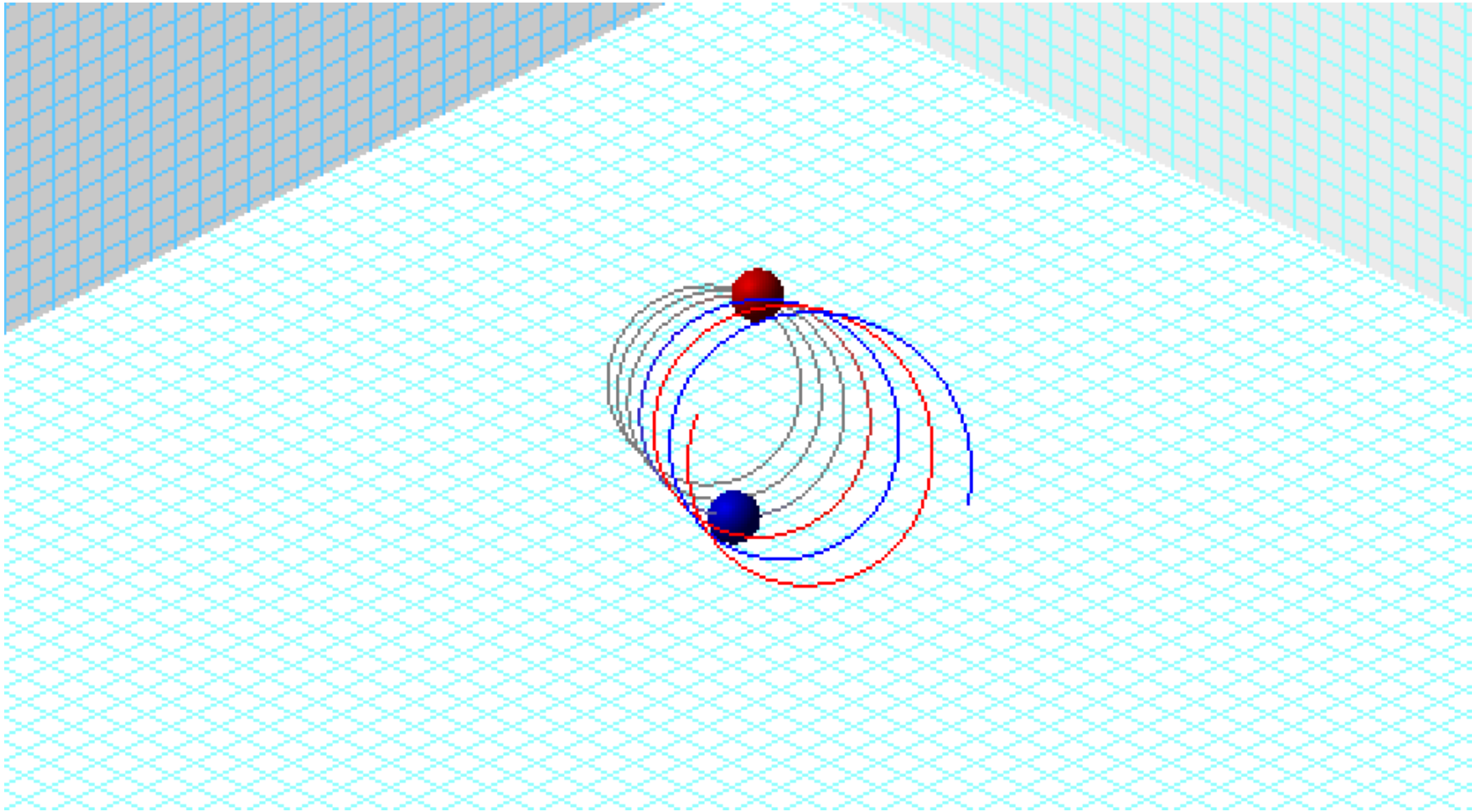
# Double helix photon model, side view



# Double helix photon model, angular view



# Double helix photon model, end view



# Helix 1 for Spin-1 Composite Photon Model for Photon of Wavelength $\lambda$

$$x_1(t) = \frac{\lambda}{2\pi} \cos(\omega t)$$

$$y_1(t) = \frac{\lambda}{2\pi} \sin(\omega t)$$

$$z_1(t) = ct$$

$$p_{x1}(t) = -\frac{h}{2\lambda} \sin(\omega t)$$

$$p_{y1}(t) = \frac{h}{2\lambda} \cos(\omega t)$$

$$p_{z1}(t) = \frac{h}{2\lambda}$$

# Helix 2 for Spin-1 Composite Photon Model for Photon of Wavelength $\lambda$

$$x_2(t) = -\frac{\lambda}{2\pi} \cos(\omega t)$$

$$y_2(t) = -\frac{\lambda}{2\pi} \sin(\omega t)$$

$$z_2(t) = ct$$

$$p_{x_2}(t) = \frac{h}{2\lambda} \sin(\omega t)$$

$$p_{y_2}(t) = -\frac{h}{2\lambda} \cos(\omega t)$$

$$p_{z_2}(t) = \frac{h}{2\lambda}$$

# Derivation of the magnitude of each electric charge in the double-helix photon model

$$F_{coul} = F_{cent}$$

$$F_{coul} = dp_{trans} / dt = \omega p_{trans}$$

$$\frac{Q^2}{4\pi\epsilon_0 D^2} = \omega p_{trans}$$

$$\frac{Q^2}{4\pi\epsilon_0 (\lambda / \pi)^2} = (2\pi \frac{c}{\lambda}) (\frac{1}{2} \frac{h}{\lambda})$$

$$\frac{Q^2 \pi^2}{4\pi\epsilon_0 \lambda^2} = \frac{\pi c h}{\lambda^2}$$

$$\frac{Q^2 \pi}{4\pi\epsilon_0} = c h$$

$$\frac{Q^2 \pi}{4\pi\epsilon_0} = c h (\frac{2\pi}{2\pi}) = 2\pi c h$$

$$\frac{Q^2}{4\pi\epsilon_0 \hbar c} = 2$$

$$\frac{e^2}{4\pi\epsilon_0 \hbar c} = \frac{2e^2}{Q^2}$$

$$\alpha = \frac{2e^2}{Q^2}$$

$$Q^2 = \frac{2}{\alpha} e^2$$

$$Q = e \sqrt{\frac{2}{\alpha}} = e \sqrt{\frac{2}{1/137.04}} = e \sqrt{274.08}$$

$$Q = 16.6e$$



# The electric charges on the rotating double-helix dipole

For the given equations for the double-helical trajectories, the opposite electric charges  $Q$  and  $-Q$  on the two superluminal energy quanta are calculated to have magnitude  $Q = e\sqrt{2/\alpha} = 16.6e$ , where  $\alpha = ke^2/\hbar c = 1/137.04$  is the fine structure constant of quantum electrodynamics (QED).

This charge  $Q$  is independent of the energy, frequency and wavelength of a photon.

# The spin of the double-helix photon model

The total spin  $\mathbf{s}$  of the composite photon composed of the two half-photons is calculated from the two half-photon equations by the vector cross product:

$$\mathbf{s} = \mathbf{R} \times \mathbf{P}$$

Calculation of the x and y components of the double helix photon model gives

$$s_{x \text{ total}} = 0 \text{ and } s_{y \text{ total}} = 0$$

Calculation of  $s_{z \text{ total}}$ , the total z-component of the double-helix photon model's spin, gives :

The total z-component  $s_{z \text{ total}}$  of the double-helix photon

$$\begin{aligned} s_{z \text{ total}}(t) &= \{x_1(t)p_{y_1}(t) - y_1(t)p_{x_1}(t)\} + \{(x_2p_{y_2}(t) - y_2(t)p_{x_2}(t))\} \\ &= \frac{\lambda}{2\pi} \cos(\omega t) \frac{h}{2\lambda} \cos(\omega t) - \frac{\lambda}{2\pi} \sin(\omega t) \left(-\frac{h}{2\lambda} \sin(\omega t)\right) \\ &\quad + \left(-\frac{\lambda}{2\pi} \cos(\omega t)\right) \left(-\frac{h}{2\lambda} \cos(\omega t)\right) - \left(-\frac{\lambda}{2\pi} \sin(\omega t)\right) \frac{h}{2\lambda} \sin(\omega t) \\ &= \frac{h}{4\pi} (2\sin^2(\omega t) + 2\cos^2(\omega t)) \\ &= \frac{h}{2\pi} (\sin^2(\omega t) + \cos^2(\omega t)) \\ &= \frac{h}{2\pi} (1) \\ &= \frac{h}{2\pi} \\ &= \hbar \end{aligned}$$

# The speed of the two superluminal energy quanta

This speed  $v$  is calculated from the velocity components of each single helical-moving particle:

$$v^2 = v_x^2 + v_y^2 + v_z^2 = (dx/dt)^2 + (dy/dt)^2 + (dz/dt)^2$$

$$= (\lambda\omega/2\pi)^2 (\sin^2\omega t + \cos^2\omega t) + c^2$$

$$= c^2(1) + c^2 = 2c^2 \text{ since } \lambda\omega/2\pi = c$$

$$\text{So } v = c\sqrt{2} = 1.414 c$$

But the forward velocity of the composite photon is  $v_z = c = 3.00 \times 10^8$  meters/sec, which is the experimental value of a photon's speed.

# The total momentum of the double-helix photon

The forward momentum of each superluminal quantum particle is  $p_{z1}(t)=p_{z1}(t)= h/2\lambda$

So the total composite forward momentum of the composite model is

$$P_{\text{total}} = p_{1z}(t)+p_{2z}(t) = h/2\lambda+ h/2\lambda = h/\lambda$$

This is the experimental value of a photon's linear momentum.

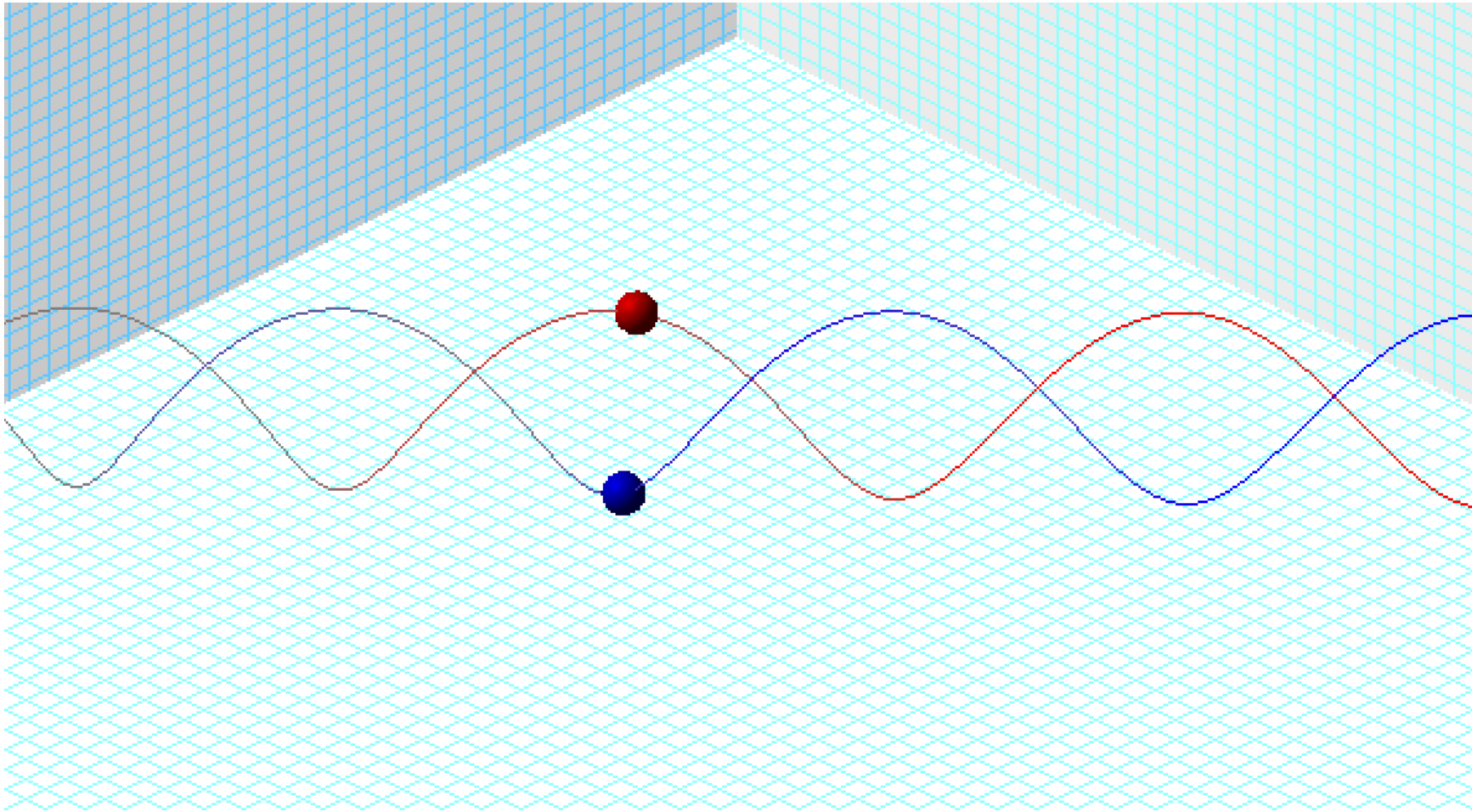
# The distance between the two superluminal quanta

This distance D is given from the Pythagorean theorem by

$$\begin{aligned} D &= \sqrt{(x_1(t) - x_2(t))^2 + (y_1(t) - y_2(t))^2} \\ &= \sqrt{(\lambda/2\pi)^2 ((2\cos\omega t)^2 + (2\sin\omega t)^2)} \\ &= \lambda/\pi \sqrt{\cos^2\omega t + \sin^2\omega t} \\ &= \lambda/\pi \end{aligned}$$

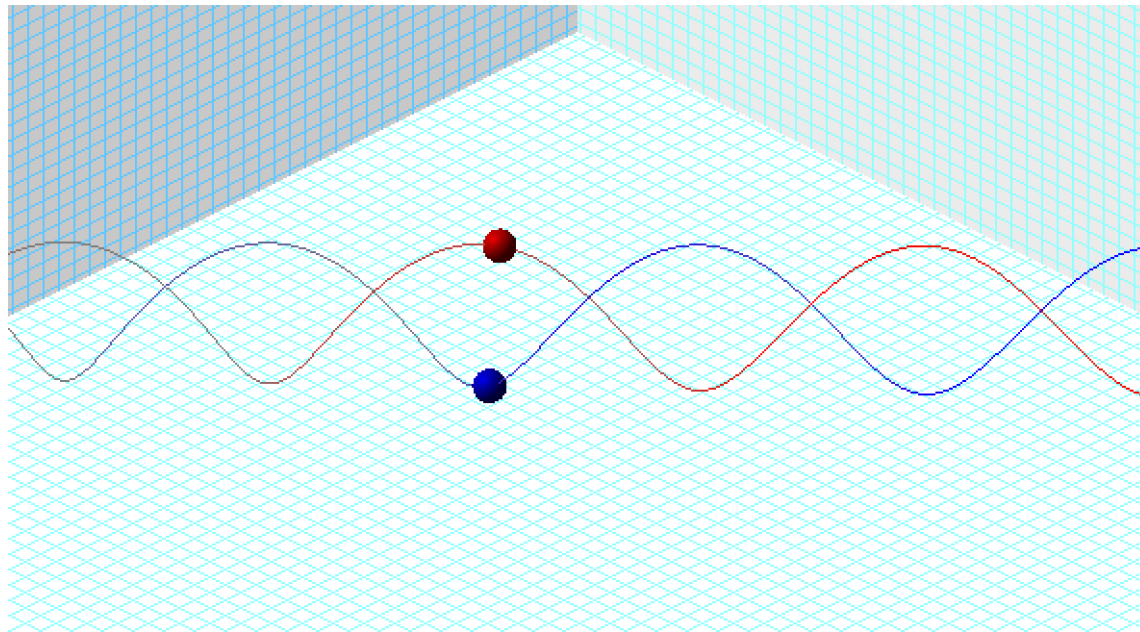
This is the diameter of the double helix photon.

# Double helix photon model, side view



# The superluminal quanta of the double-helix photon are quantum-mechanically entangled

The two charged superluminal quanta composing the double-helix photon model act together like a single particle—the photon.





# Electron-positron pair production from the double-helix photon model

The composite photon model suggests a mechanism for electron-positron pair production.

In the presence of an atomic nucleus, the two charged superluminal quanta of a sufficiently energetic photon reduce their electric charge and are thrown off as an electron of charge  $-e$  and a positron of charge  $+e$ .

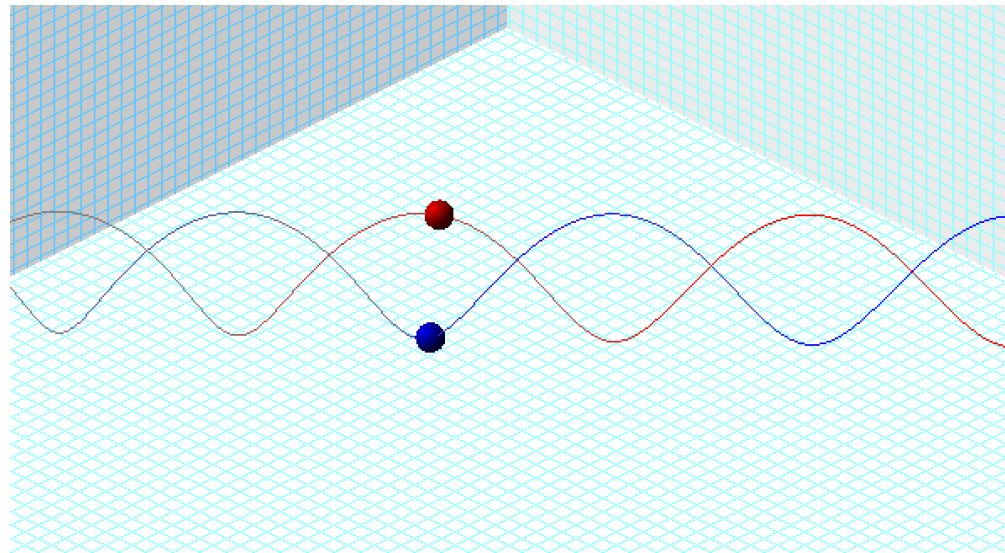
# Experimental test of double-helix photon model

The predicted charges  $Q$  and  $-Q$  provide a strong experimental test of the composite photon model.

Close analysis of electron-positron pair production could show how the charge magnitude  $Q = 16.6 e$  of each superluminal quantum in the double helix photon model becomes the charge magnitude  $q = 1 e$  of the electron and the positron. This would be strong experimental evidence for the double-helix photon model.

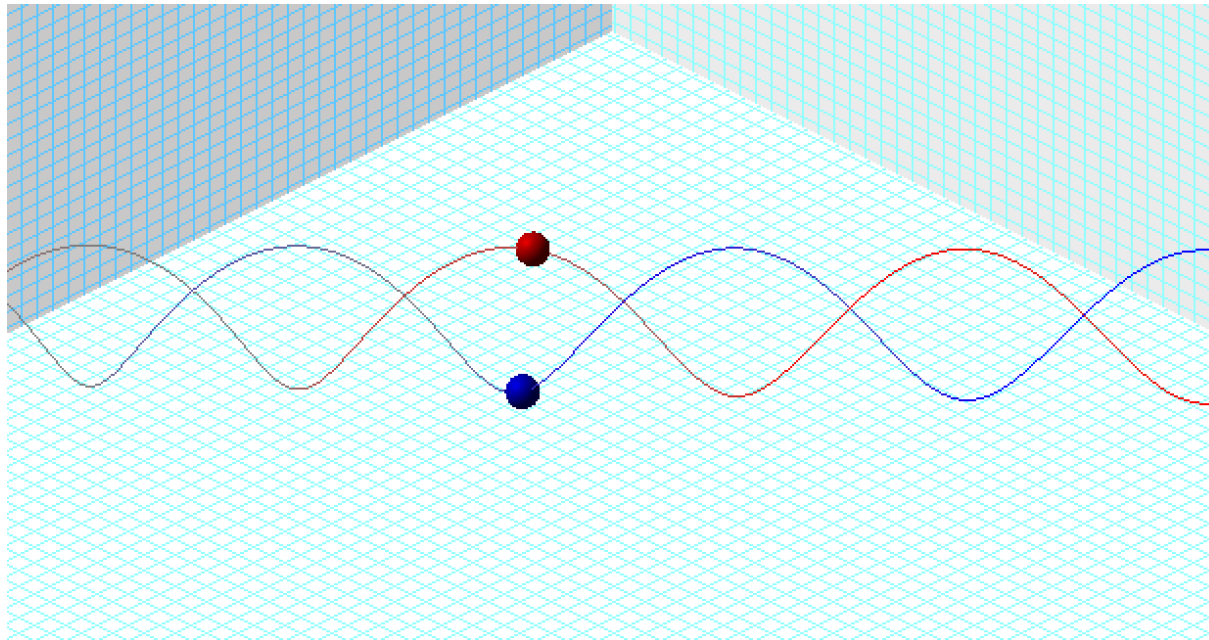
# Calculation of the inertial mass $M = E_{\text{photon}} / c^2$ of the double-helix photon model

$$\begin{aligned} M &= 2m_{\text{half}} \\ &= 2(d\vec{p}_t / dt) / a_c \\ &= 2(\omega p_t) / (R\omega^2) \\ &= 2p_t / R\omega \\ &= 2(h / 2\lambda) / (\lambda / 2\pi \times 2\pi c / \lambda) \\ &= h / c\lambda \\ &= h / (c \times c / \nu) \\ &= h\nu / c^2 = E_{\text{photon}} / c^2 \end{aligned}$$



# Negative electrical potential energy of the double-helix photon model

The superluminal particles of the photon model are bound together by a negative potential energy  $U = -E = -h\nu$  by their Coulomb attractive force, as calculated in the next slide.

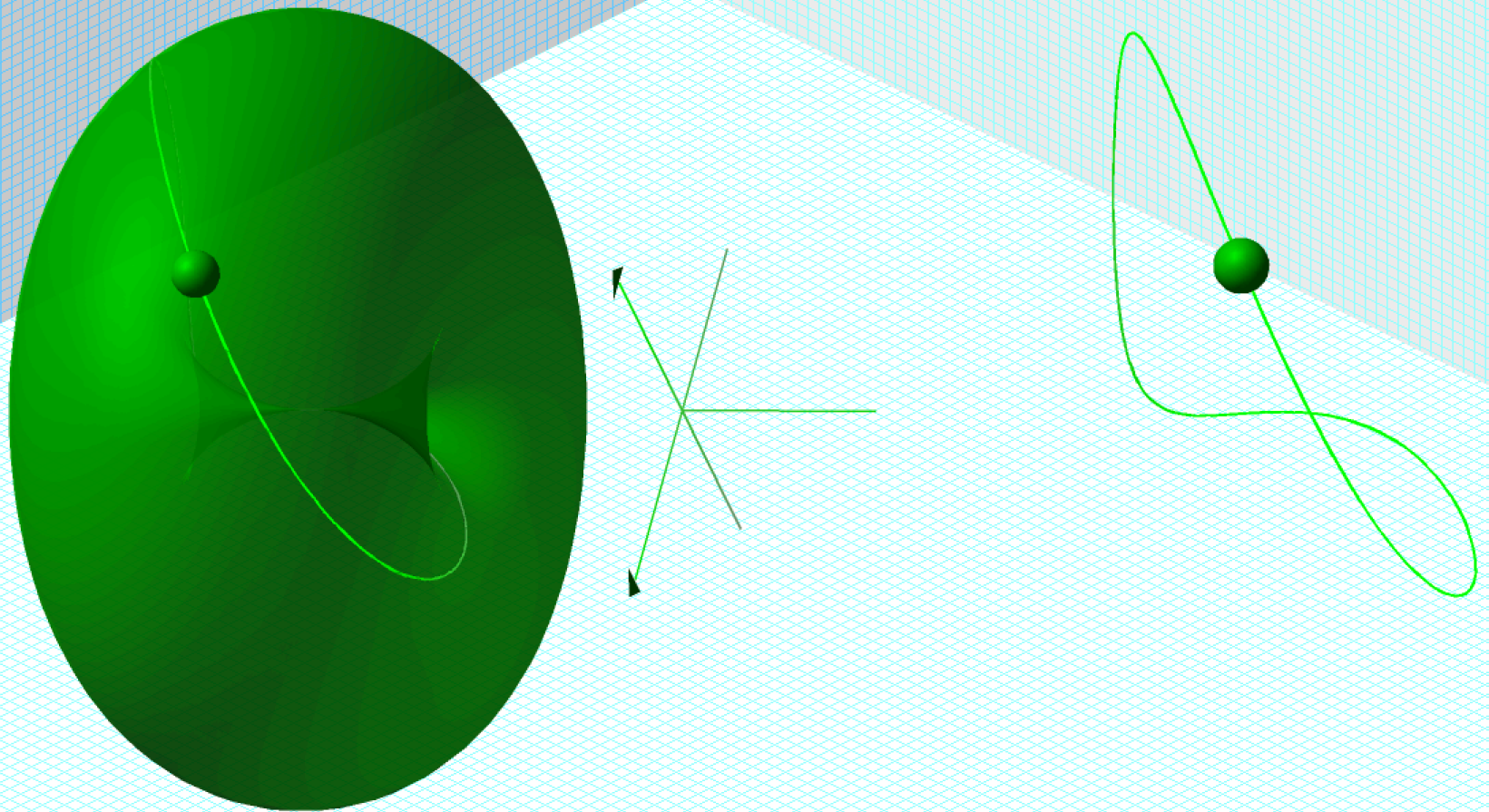


The ratio of the double helix's photon's electrical potential energy  $U$  to its energy  $E=h\nu=hc/\lambda$

$$\begin{aligned}U / E &= \frac{-Q^2 / 4\pi\epsilon_0 D}{hc / \lambda} \\&= \frac{(-2e^2 / \alpha) / 4\pi\epsilon_0 (\lambda / \pi)}{hc / \lambda} \\&= (1 / \alpha)(e^2 / 4\pi\epsilon_0 hc)(-2\pi) \\&= (1 / \alpha)(e^2 / 4\pi\epsilon_0 \hbar c)(-1) \\&= (1 / \alpha)(\alpha)(-1) \\&= -1\end{aligned}$$

So  $U = -E = -h\nu$

Superluminal half-photon quantum-vortex electron model formed from spin- $\frac{1}{2}$  charged half-photon model. The superluminal quantum moves on the surface of a horn torus.



# Equations of the superluminal half-photon quantum-vortex electron model composed of a spin-1/2 charged half-photon

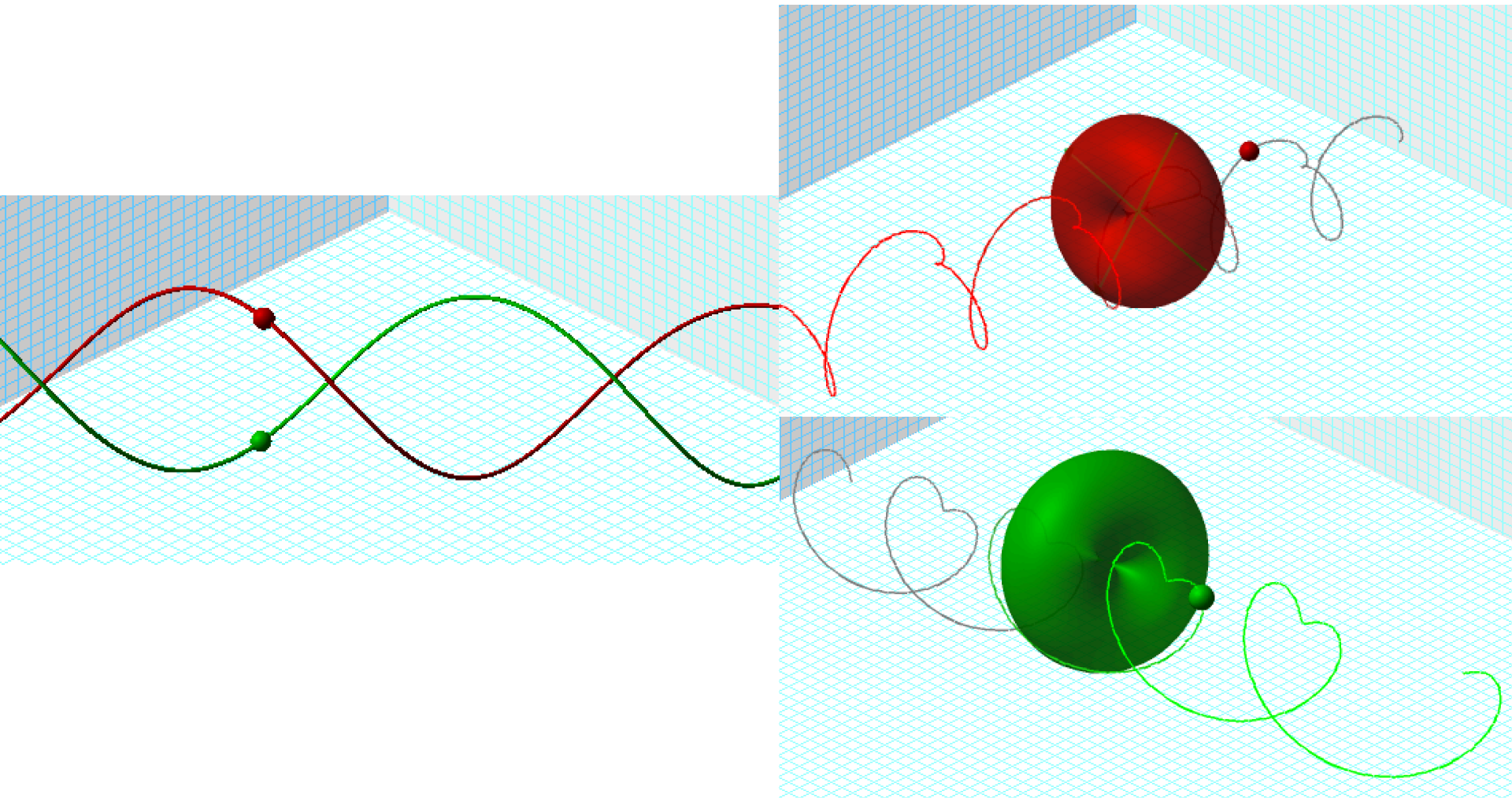
$$x = \frac{\lambda_C}{4\pi} (1 + \cos \omega_{zitt} t) (\cos \omega_{zitt} t)$$

$$y = \frac{\lambda_C}{4\pi} (1 + \cos \omega_{zitt} t) (\sin \omega_{zitt} t)$$

$$z = \frac{\lambda_C}{4\pi} (\sin \omega_{zitt} t)$$

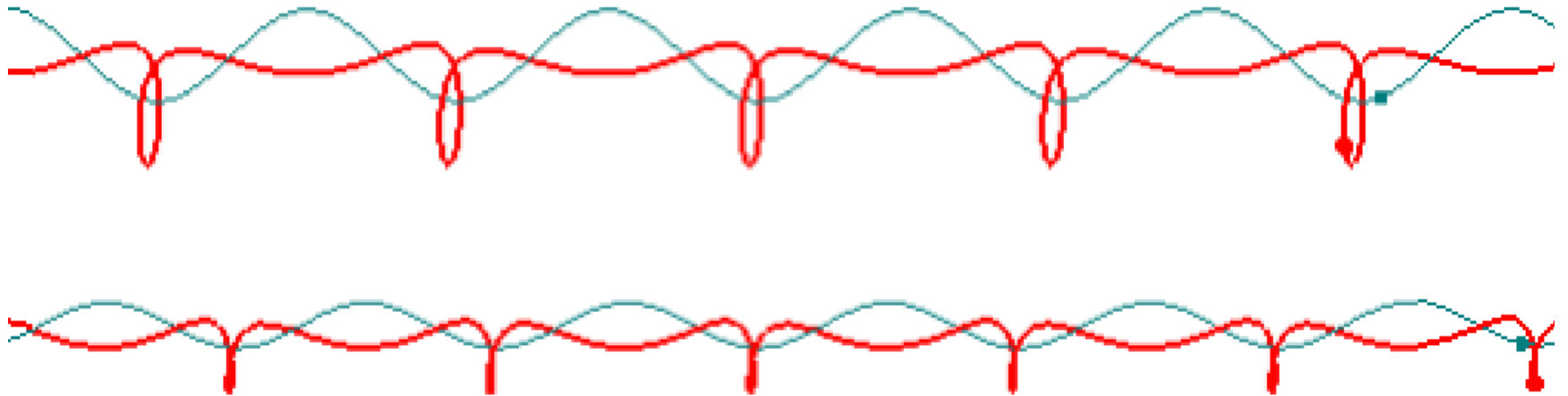
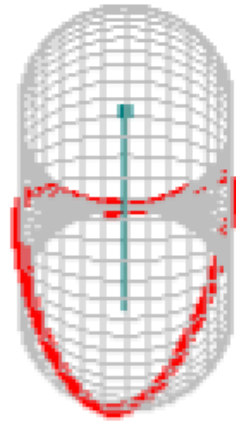
where  $\lambda_C = h / mc = 2.43 \times 10^{-12}$  m is the Compton wavelength.  $\lambda_C / 4\pi$  is the radius of a double-helix photon of energy equal to the rest energies of an electron plus a positron, and is also the helical radius of the electron model.  $\omega_{zitt} = 2\pi\nu_{zitt} = 2mc^2 / \hbar$  is the electron's zitterbewegung angular frequency.

# Electron-positron pair production from double-helix photon model





# Relativistic Quantum Vortex Electron Model at different velocities (side view)



# Relativistic Quantum Vortex Electron Model at different velocities (front view)



# Does the double-helix photon model help to explain quantum mechanics?

- Is the composite photon model composed of a superluminal charge dipole of charges  $Q=16.6e$  and  $-Q=16.6e$  consistent with Maxwell's equations?
- Do physical laws developed since Maxwell need to be reevaluated in light of the double-helix photon model?

# The double-helix photon model and Heisenberg's Uncertainty Principle

Heisenberg's uncertainty principle:

$$\Delta x \times \Delta p_x \geq \hbar / 2$$

The rms (root mean square) values of the position  $x$  and momentum component  $p_x$  in each of the spin-1/2 charged half-photons in the double-helix photon model give the following relation:

$$\Delta x \times \Delta p_x = \hbar / 4$$

Can the Heisenberg Uncertainty Principle be derived from the double-helix photon model?